

# Study of Flow and Heat Transfer of $CuO - Ag / C_2H_6O_2$ Hybrid Nanofluid over a Stretching Surface with Porous Media and MHD Effect

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## ABSTRACT

The aim of this investigation is to study hybrid nanofluid flow past a permeable stretching sheet in is presented. With heat source/sink and uniform magnetic field the flow is investigated in porous medium. A suspension of Copper Oxide-Silver ( $CuO - Ag$ ) nanoparticles in an ethanol glycol ( $C_2H_6O_2$ ) based fluid with Marangoni convection is considered. The mathematical model of the flow is encountered by Runge-Kutta fourth order method using appropriate similarity transformations. As a key result, it is observed that the capacity of heat transportation of modified nanofluid is improved in comparison with nanofluids and hybrid nanofluids. Numerical solutions with graphical representation are presented. Heat transfer rate decreases when the Prandtl number and wall mass transfer parameter rise, whereas the Heat source/sink parameter has the opposite effect.

**Keywords:** Hybrid Nanofluid; Marangoni Convection; MHD; Porous media; Stretching Surface.

## 1. Introduction

A fluid called as base fluid with suspended nano-sized particles of various size and shapes is defined as nanofluid. These particles can be metallic or non-

metallic. For heat transfer applications commonly used base fluids are water, Ethylene glycol, Mineral oil, kerosene, Engine, and are generally employed in the production of nanofluids. Initially Choi [1]

investigated that by adding some nano-sized particles in any base fluid thermal conductivity can be improved. Use of these nanofluids can be seen in the industrial processes where transportation of heat is prominent as generator cooling, biomedical, nuclear safety, transformer cooling, solar heating, lubrications, welding, alcohol control, protection, MHD pumps, refrigeration and space technology. Various investigations have been presented by the researchers that how nanofluids affect the heat transfer phenomena by its size, shape, and concentration, with various base fluids and different geometries [2-8].

In continuation to this concept researchers got the idea to prepare mixture of two different nanoparticles dispersed in the basic fluids. These fluids are considered as hybrid nanofluids. With appropriate blend or combination of nanometer-sized particles dispersed into the basic fluids, improved heat transfer capacity can be obtained since advantage and disadvantage of nanoparticles can be managed in hybrid nanofluids. A number of studies have been presented by researchers proving this concept for the nanofluids using different sizes, shapes, and concentrations of nanoparticles with different base liquids, on different geometries [9-13].

Marangoni convection is the convection described with the surface tension differences at interface. These interface dissipative flows may be useful when various surface tensions exist at interface. This variation can be generated by altering the temperature or the concentration of fluid. Marangoni convective boundary layer flows of nano-liquids has their applications in various fields like thin-films, soap-films, crystals melting, vapor bubbles, welding, semiconductors, microgravity condition, material science, silicon wafers, etc. Napolitano [14] was the first who gave this phenomenon and named it. Christopher and Wang [15] studied the Prandtl numbers effects for Marangoni convective flow past

a horizontal surface. Furthermore Agrawal et al. [16] investigated radiative Marangoni convection flow of three different hybrid nanoliquids with porosity and MHD effects. Afterward this phenomenon is studied along various parameters, nanofluids and geometries by several scientists [17, 21].

Whereas various researchers have investigated nanofluids with various nanoparticles suspended in various base fluids, nonetheless, in this research  $CuO - Ag / C_2H_6O_2$  nanofluids flow through a stretching surface with Marangoni convection under the effect of MHD is explored. A numerical analysis for this nanofluid presented by the graphs and discussed. A comparative study with previous findings of researchers is discussed. An excellent concurrence is achieved with the presentation of previous conclusions.

## 2. Mathematical formulation

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The viscous in compressible nanofluids MHD Marangoni convective boundary layer flow with Heat source/sink, along permeable stretched surface is studied in 2-D.  $CuO - Ag / C_2H_6O_2$  nanofluid embedded in porous medium is considered.

It is acknowledged that the fundamental fluids and the nano-size particles are in thermal equilibrium state. The laminar fluid flow takes place at  $y \geq 0$  where x-axis is considered along the surface and y-axis is considered normal to the stretching sheet. Ambient temperature  $T_\infty$  and the surface temperature  $T_w$  are assumed different. Likewise, Marangoni convection is considered, a linear relation of surface tension with temperature is given by [16]:

$$\tau = \tau_0 [1 - \bar{\tau} (T - T_\infty)] \quad (2.1)$$

Here,  $\tau_0$  is surface tension and  $\bar{\tau}$  is rate of change of surface tension along Temperature. Taking these assumptions, the equation of the governing convective flows of the nanofluid is described as following [16].

$$\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} = 0, \quad (2.2)$$

$$u \frac{\partial u}{\partial x} + v \frac{\partial v}{\partial y} = \frac{\mu_{hnf}}{\rho_{hnf}} \frac{\partial^2 u}{\partial y^2} - \frac{\sigma_{hnf} B_0^2 u}{\rho_{hnf}} - \frac{\mu_{hnf}}{\rho_{hnf}} \frac{u}{k}, \quad (2.3)$$

$$u \frac{\partial T}{\partial x} + v \frac{\partial T}{\partial y} = \frac{\kappa_{hnf}}{(\rho C_p)_{hnf}} \frac{\partial^2 T}{\partial y^2} + \frac{Q_0}{(\rho C_p)_{hnf}} (T - T_\infty). \quad (2.4)$$

With boundary condition:

$$T = T_\infty + bx^2, \quad v = v_w, \quad \mu_{nf} \left( \frac{\partial u}{\partial y} \right) = \frac{\partial \tau}{\partial T} \frac{\partial T}{\partial x}$$

at  $y = 0$  and

$$u \rightarrow 0, \quad T \rightarrow T_\infty \quad \text{as } y \rightarrow \infty. \quad (2.5)$$

Here velocity components along x and y axis are  $u$  and  $v$  respectively, also  $C_s$  represents the surface heat capacity.  $\mu_{mnf}$  is viscosity modified nanofluid,  $\rho_{mnf}$  is density,  $\kappa_{mnf}$  is thermal conductivity,  $\sigma_{mnf}$  is electrical conductivity and  $(\rho C_p)_{mnf}$  is heat capacity. Here subscript mnf, hnf, nf and f, defined for modified nanofluids, hybrid nanofluids, nanofluids and base fluid respectively.  $B_0$  is magnetic field strength. Also the volume fraction is  $\phi$  also  $m = 3$  is chosen for spherical type nanoparticles. Thermo-physical value of nanoliquids and base fluid are reported in Table 2.

For the hybrid nanofluids the thermo physical quantities are given by as follows [16]:

The heat capacitance is given by:

$$(\rho C_p)_{hnf} = \left\{ (1 - \phi_2) \left[ (1 - \phi_1) (\rho C_p)_f + (\rho C_p)_{s1} \phi_1 \right] + (\rho C_p)_{s2} \phi_2 \right\} \quad (2.6)$$

The thermal conductivity is given as:

$$\kappa_{hnf} = \left\{ \frac{\kappa_{s2} + (n-1) \kappa_{nf} - (n-1) (\kappa_{nf} - \kappa_{s2}) \phi_2}{\kappa_{s2} + (n-1) \kappa_{nf} + (\kappa_{nf} - \kappa_{s2}) \phi_2} \right\} \kappa_{nf} \quad (2.7)$$

where

$$\kappa_{nf} = \left\{ \frac{\kappa_{s1} + (n-1) \kappa_f - (n-1) (\kappa_f - \kappa_{s1}) \phi_1}{\kappa_{s1} + (n-1) \kappa_f + (\kappa_f - \kappa_{s1}) \phi_1} \right\} \kappa_f.$$

The effective density of hybrid nanofluid is given as follows:

$$\rho_{hnf} = \left\{ [(1 - \phi_1) \rho_f + \phi_1 \rho_{s1}] (1 - \phi_2) \right\} + \phi_2 \rho_{s2} \quad (2.8)$$

The electrical conductivity is given by:

$$\sigma_{hnf} = \left\{ \frac{2\sigma_{nf} + \sigma_{s2} - 2(\sigma_{nf} - \sigma_{s2}) \phi_2}{2\sigma_{nf} + \sigma_{s2} + (\sigma_{nf} - \sigma_{s2}) \phi_2} \right\} \sigma_{nf} \quad (2.9)$$

$$\text{where } \sigma_{nf} = \left\{ \frac{\sigma_{s1} + 2\sigma_f - 2\phi_1 (\sigma_f - \sigma_{s1})}{\sigma_{s1} + 2\sigma_f + \phi_1 (\sigma_f - \sigma_{s1})} \right\} \sigma_f.$$

Also the effective dynamic viscosity is given by:

$$\mu_{hnf} = \frac{\mu_f}{(1 - \phi_1)^{2.5} (1 - \phi_2)^{2.5}}. \quad (2.10)$$

### 3. Similarity Solutions

For the solution the model, the similarity transformation given below is used [13]:

$$\eta = \psi_1 y, \quad \xi = \psi_2 x f(\eta), \quad \theta = \frac{T - T_\infty}{T_w - T_\infty}. \quad (3.1)$$

Where

$$u = \frac{\partial \xi}{\partial y}, \quad v = -\frac{\partial \xi}{\partial x},$$

$$\psi_1 = \left( \frac{\gamma_0 \bar{\gamma} b \rho_f}{\mu_f^2} \right)^{1/3}, \quad \psi_2 = \left( \frac{\gamma_0 \bar{\gamma} b \mu_f}{\rho_f^2} \right)^{1/3}.$$

Partial differential Eq. (2.3) and Eq. (2.4) which are non linear in nature are converted into the following equations.

$$Af''' + B(f'' - f'^2) - \frac{\sigma_{hmf}}{\sigma_f} Mf' - K_1 Af' = 0. \quad (3.2)$$

$$\frac{C}{Pr} \frac{\kappa_{hmf}}{\kappa_f} \theta'' + \delta C \theta + f \theta' - 2f' \theta = 0. \quad (3.3)$$

Here  $A = \frac{1}{(1-\phi_1)^{2.5} (1-\phi_2)^{2.5}},$

$$B = \left\{ (1-\phi_2) \left[ (1-\phi_1) + \phi_1 \frac{\rho_{s1}}{\rho_f} \right] \right\} + \phi_2 \frac{\rho_{s2}}{\rho_f}$$

and

$$C = \left\{ (1-\phi_2) \left[ (1-\phi_1) + \phi_1 \frac{(\rho C_p)_{s1}}{(\rho C_p)_f} \right] \right\} + \phi_2 \frac{(\rho C_p)_{s2}}{(\rho C_p)_f}.$$

With modified initial conditions:

$$\theta(0) = 1, f(0) = f_w, \theta(\infty) = 0,$$

$$f''(0) = -\frac{2}{A}, f'(\infty) = 0. \quad (3.4)$$

Here  $K_1 = \frac{1}{\psi_1^2 K}$  is parameter of

permeability,  $Pr = \frac{(\rho C_p)_f \nu_f}{\kappa_f}$  is Prandtl

number. Also the wall mass transfer parameter is  $f_w$  and  $\delta = \frac{Q_0}{(\rho C_p)_f \psi_1 \psi_2}$  is

heat source/sink parameter and

$$M = \frac{B_0^2 \sigma_f}{\rho_f \psi_1 \psi_2}$$
 is magnetic parameter.

#### 4. Numerical Solution

After applying suitable similarity solutions, the fundamental equations have converted to the ordinary differential equations along with boundary condition. To tackle this further, Runge-Kutta method of order four with the shooting procedure have been exercised to tackle these Eq. (3.2) and Eq. (3.3) together with the boundary conditions Eq.(3.4) turned in initial value problem, as shown below.

$$f = h_1, f' = h_2, f'' = h_3, \theta = h_4, \text{ and } \theta' = h_5.$$

$$h_3' = \frac{M}{A} \frac{\sigma_{hmf}}{\sigma_f} h_2 + K_1 h_2 + \frac{B}{A} (h_2^2 - h_1 h_3)$$

$$h_5' = \frac{Pr(2h_2 h_4 - h_1 h_5 - C \delta h_4)}{C \frac{\kappa_{hmf}}{\kappa_f}}$$

With initial conditions:

$$h_1(0) = f_w, h_3(0) = -\frac{2}{A}, h_4(0) = 1.$$

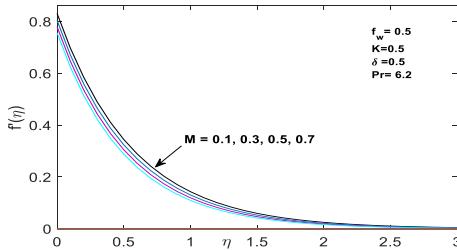
Here with above three initial conditions, two more are required i.e.  $h_3(0)$  and  $h_5(0)$  for the solutions. Prandtl number for  $C_2H_6O_2$  is 204 considered. Taking the initial guess values for  $h_3(0)$  and  $h_5(0)$  and suitable finite value of  $\eta (\rightarrow \infty)$ , say  $\eta_\infty$ . After this we have computed  $f'(\eta)$  and  $\theta(\eta)$  at  $\eta_\infty (\cong 10)$  along with conditions of boundary  $f'(\eta_\infty) = 0$  and  $\theta(\eta_\infty) = 0$  and for desired approximate result (degree of accuracy is  $10^{-6}$ ) we have adjusted the values of  $f''(0)$  and  $\theta'(0)$  taking step size as  $\Delta \eta = 0.01$ . To get exact results up to  $10^{-7}$  accuracy iterated approach is used in this method.

#### 5. Results and Discussion

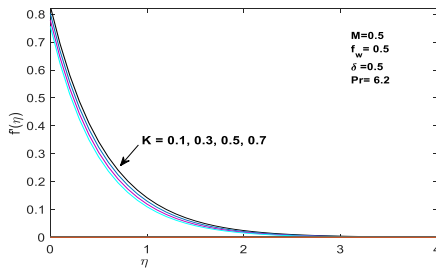
Boundary layer flow with Heat source/sink, along permeable stretched surface is studied. The two-dimensional viscous in compressible hybrid nanofluid flow is considered.  $CuO - Ag / C_2H_6O_2$  hybrid nanofluid embedded in porous medium is considered. Marangoni convective is considered in this investigation. Numerical simulation is performed with above described method and results are shown by graphs to explain the

impacts of several non-dimensional physical parameters for velocity profile and temperature profile.

In Fig. 1 the effects of magnetic field parameter  $M$  on velocity profile. A decreased velocity profile noticed for increased  $M$ . Imposed charismatic field creates a reverse force, called Lorentz force to the fluids the velocity field is reduced as a result of this.

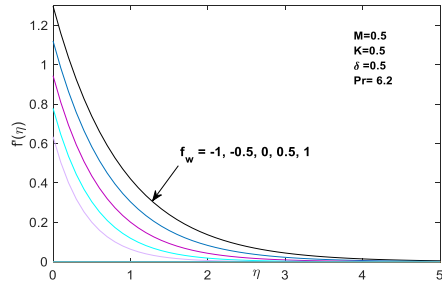


**Fig. 1.** Velocity profile for magnetic field parameter.



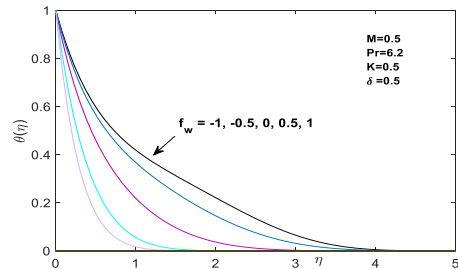
**Fig. 2.** Velocity profile for  $K$ .

In Fig. 2 the effects of permeability parameter  $K_1$  on  $f'(\eta)$ . It is observed that with increased  $K_1$  a decrement in  $f'(\eta)$  is seen. With the fact  $K \propto 1/K_1$ , so with enhancement in the porosity coefficient, the permeability of the porous media decreases, resulting in a drop in fluid velocity.

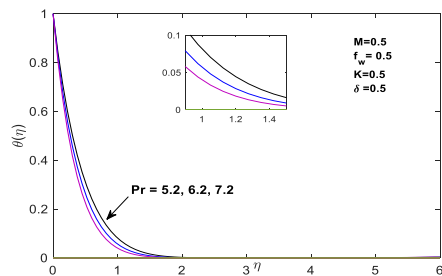


**Fig. 3** Velocity profile for  $f_w$ .

In Fig. 3 and Fig. 4 the effects of  $f_w$  on  $f'(\eta)$  and  $\theta(\eta)$  respectively. It is observed that with increased  $f_w$  a decrement in  $f'(\eta)$  (velocity profile) and  $\theta(\eta)$  (temperature profile) is seen. Because the porous wall absorbs some fluids particle, the flow velocity rises, and the thermal boundary layer is lowered. As a result, the overall heat and mass transmission capacity rises.



**Fig. 4.** Temperature profile for  $f_w$ .



**Fig. 5.** Temperature profile for  $Pr$ .

In Fig. 5 the effects of Prandtl number  $Pr$  on temperature profile  $\theta(\eta)$  depicted. It is observed that with

increased  $Pr$  along with  $\theta(\eta)$  a decrement in temperature profile noticed. The relative effects of viscosity on thermal conductivity are referred to as  $Pr$ . This is because lower Prandtl numbers equate to better thermal conductivity, allowing heat to escape away from the heated surface faster than with bigger Prandtl numbers. In Fig. 6, the effects of heat source/sink  $\delta$  on  $\theta(\eta)$  are depicted. It is observed that with increase  $\delta$  along with  $\theta(\eta)$  an increment in temperature profile is seen.

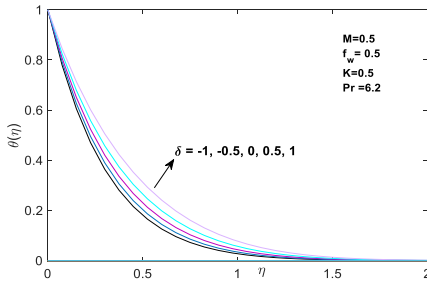


Fig. 6. Temperature profile for  $\delta$ .

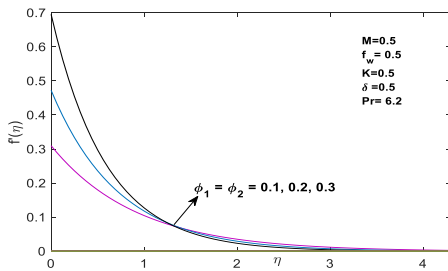


Fig. 7. Velocity profile for  $\phi$ .

In Fig. 7 the effects of parameter volume friction  $\phi_1 = \phi_2$  on  $f'(\eta)$  depicted. It is observed that with increased  $\phi_1 = \phi_2$  a decrement is seen in velocity curve. The fluid's velocity is lowered at the surface and raised distant from it by raising  $\phi_1 = \phi_2$ , which is a significant influence of  $\phi_1 = \phi_2$  on the velocity profile.

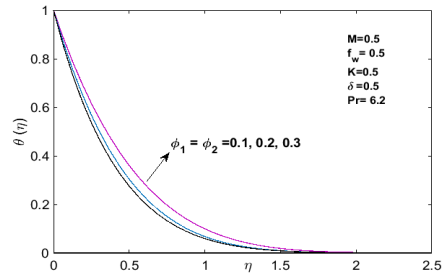


Fig. 8. Temperature profile for  $\phi$ .

In Fig. 8 the effects of parameter volume friction  $\phi_1 = \phi_2$  on  $\theta(\eta)$  depicted. It is observed that with increased  $\phi_1 = \phi_2$  an increment is seen in velocity curve. More nanoparticles allow additional energy to be absorbed, which might result in a higher temperature field. The calculated results are compared for Nusselt number for different values of  $Pr$  taking other parameters equals to zero is given in Table 2.

Table 2 Comparison of Nusselt number for various values of  $Pr$  taking other parameters equals to zero for  $CuO - Ag / C_2H_6O_2$ .

$Pr$	Acharya et al. [22]	Wang et al. [23]	Present study
0.7	0.453962	0.4539	0.453971
2	0.911397	0.9114	0.911393
7	1.895420	1.8954	1.895413

## 6. Conclusions

Heat transfer effects of a hybrid nanofluid flow are studied. MHD Marangoni convective boundary layer flow with heat source/sink, along permeable stretched surface is considered in 2-D.  $CuO - Ag / C_2H_6O_2$  nanofluid embedded in porous medium is considered. In future these results can be used for other hybrid nanofluids as well as modified nanofluids. The following is a summary of the research findings:

- With increased  $\phi_1 = \phi_2$  a decrement is seen in velocity field and opposite effect is seen in temperature profile.
- Decreased velocity profile is seen for increased parameters  $f_w$ ,  $M$  and  $K$ .
- Heat transfer rate decreases when the Prandtl number and wall mass transfer parameter rise, whereas the Heat

source/sink parameter has the opposite effect.

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**Table 2.** Thermo-physical properties: [17, 22].

	$\rho \text{ (kg / m}^3\text{)}$	$C_p \text{ (J / kg K)}$	$k \text{ (W / m K)}$	$\sigma \text{ (S / m)}$
$C_2H_6O_2$	1116.6	2382	0.249	65
$CuO$	6500	535.6	20	$5.96 \times 10^7$
$Ag$	10500	235	429	$3.5 \times 10^6$

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